Fiscal Redistribution and Social Welfare: 
Doing More or More to Do?

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Fiscal Redistribution and Social Welfare: Doing More or More to Do?∗

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Abstract
This paper embeds analysis of fiscal redistribution (FR) within the standard social welfare framework. Differences in FR are decomposed into differences in the magnitude (fiscal effort) and progressivity (fiscal progressivity) of transfers. Progressivity is further decomposed into differences in the distribution of transfers across income groups (targeting performance) and in the social welfare returns to targeting (targeting returns). This motivates a distinction between conditional and unconditional FR, where the latter abstracts from targeting returns. For illustrative purposes, the framework is applied to EUROMOD data for EU countries to explain differences in FR and to discuss patterns in FR highlighted in the literature.

JEL: H22, H23
Keywords: Fiscal redistribution, progressivity, targeting, transfers, taxes

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I. INTRODUCTION

The empirical literature on the redistributive impact of fiscal policies in advanced economies has grown substantially over recent decades reflecting the increased availability of household survey data and microsimulation tools. For instance, the EUROMOD project has produced extensive work combining EU-SILC household survey data with a standardized microsimulation model adapted to member countries to evaluate the distributional impact of tax and benefit systems and their reform (Sutherland and Figari, 2013; Avram and others, 2014). Caminada and others (2017, 2019) have used Luxembourg Income Survey data for similar purposes, while the OECD also regularly produces estimates of fiscal redistribution based on household survey data (Immervoll and Richardson, 2011; OECD, 2008, 2011).

Existing analyses of fiscal redistribution are typically based on comparisons of inequality indices before and after taxes and transfers. This paper embeds the analysis of fiscal redistribution within the standard social welfare framework, which easily lends itself to a transparent and practical evaluation of the determinants of fiscal redistribution and of differences across countries and time. This framework is used to decompose fiscal redistribution into differences in fiscal effort, as reflected in the magnitude of redistributive tax and transfer (i.e., net tax) systems, and differences in fiscal progressivity, reflecting the distribution of net transfers across different income groups. Fiscal progressivity is further decomposed into two components, one reflecting the share of net transfers accruing to lower-income groups (targeting performance), the other reflecting the social returns to targeting due to differences in the initial inequality of income (targeting returns). This helps clarify the concepts of progressivity and targeting and the relationship between them.1

The above decomposition further allows differences in fiscal redistribution to be separated into that due to differences in fiscal policies (fiscal effort and targeting performance) and that due to differences in targeting returns that reflect initial income inequality conditions.

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1 In this paper, targeting refers to channeling resources to lower-income households (i.e., income targeting). Social programs are also often “targeted” to specific categories of the population, e.g., children, the elderly, the disabled, and regions. To the extent that a central objective of such transfer programs is to reduce income poverty or inequality, evaluation of income targeting is however still valid.
This helps to highlight the possibility that countries with the exact same fiscal policies, as measured by the level and distribution of net transfers across income groups, can have very different levels of measured fiscal redistribution simply because they have very different initial income distributions. Therefore, high levels of fiscal redistribution in a country may reflect that it has “more to do” rather than that it is “doing more”. To illustrate the importance of this distinction in practice, the framework is used to decompose fiscal redistribution in 28 EU countries into their component parts, which are then used to discuss two patterns of fiscal redistribution often highlighted in the literature, i.e., whether more targeted systems end up achieving less fiscal redistribution (i.e., are programs for the poor, poor programs), and whether high inequality countries do more or less fiscal redistribution (i.e., the paradox of redistribution).

II. CONCEPTUAL FRAMEWORK

Our analysis of fiscal redistribution is anchored in standard social welfare theory. We start by setting out a standard social welfare framework for evaluating the welfare impact of redistributive transfer and tax policies. We show how this framework lends itself to a transparent and practical decomposition of the welfare impact of fiscal redistribution into its various components reflecting fiscal effort, fiscal progressivity, targeting performance, and targeting returns.

Social Welfare, Transfers and Taxes

Consider an economy with two groups; households and the government. Abstracting from behavioral responses, let \( y_0 \) be household market income (i.e., income before taxes and transfers) and \( y_1 \) be household disposable income (i.e., income after taxes and transfers) so that:

\[
y_1 = y_0 + m - t
\]  

(1)
where \( m \) denotes transfers, \( t \) taxes, and \((m-t)\) net transfers.\(^2\) Let social welfare be described by a standard Bergson-Samuelson function of household welfare:

\[
W(..., V^h(p, y^h), ...)
\]

where \( V^h(\cdot) \) is the indirect utility function of household \( h \) and \( p \) is a vector of commodity and factor prices facing the household (henceforth assumed fixed). The social welfare impact of a given transfer program with \( d\gamma^h = d\gamma^h \) is:

\[
dW = \sum_h \frac{\partial W}{\partial V^h} \frac{\partial V^h}{\partial m^h} d\gamma^h = \sum_h \beta^h d\gamma^h
\]

where \( \beta^h \) is the social valuation of extra income to household \( h \), the so-called social “welfare weight”. Let the total transfer budget be \( B = \sum_h d\gamma^h \) so that (3) can be rewritten as:

\[
dW = \frac{\sum_h \beta^h d\gamma^h}{\sum_h d\gamma^h} B = B \sum_h \beta^h \theta^h = \lambda B
\]

where \( \theta^h \) is the share of the total budget received by household \( h \) and \( \lambda \) is the so-called distributional characteristic capturing the social welfare impact of a unit transfer delivered through the program (Diamond, 1975; Coady and Skoufias, 2004). Clearly \( \lambda \) can differ across transfer programs when welfare weights differ across households and the distribution of transfers differs across programs. The greater the proportion of the budget ending up in the hands of lower-income households (i.e., those with relatively high \( \beta^h \)), the higher the distributional characteristic. Note also that the distributional characteristic is scale neutral in that it does not change in response to a scaling up or down of transfer levels.

\(^2\) Most empirical papers on fiscal redistribution abstract from the important issue of behavioral responses arising from the taxes and transfers being analyzed. However, such responses could potentially be very important in deciding on the optimal level of fiscal redistribution since they generate an efficiency-equity trade-off (Picketty and Saez, 2013; Bargain, 2017). The presence of such responses also mean that the level and distribution of “original” incomes (i.e., incomes prior to the imposition of taxes and transfers) may be different from the level and distribution of “market” incomes (i.e., “disposable” incomes after taxes and transfers, minus taxes and transfers), the extent of these differences depending on the elasticity of income to net transfers and how this varies across income groups. While the conceptual framework used here applies regardless of whether original or market incomes are used in equation (1), the empirical results and their policy implications could, of course, be sensitive.
Any analysis of the redistributive impact of fiscal policies must take account not just of transfers but also their financing through taxation. Since taxes can be viewed simply as negative transfers, for a budget neutral tax and transfer (or net transfer) system, (4) can be expanded to incorporate the tax side as follows:

\[
dW = \sum \beta_h \frac{dW^m}{dW^{m}} B - \sum \beta_h \frac{dW^t}{dW^{t}} T = B \sum \beta^h (\theta^h - \phi^h) = B \sum \beta^h \psi^h
\]  

where \( t^h \) is the tax paid by household \( h \), \( T = \sum d^t_h \) is the sum of taxes across households (which for a revenue-neutral transfer program equals \( B \)), \( \phi^h \) is the share of household \( h \) in total tax payments, and \( \psi^h \) is the share of household \( h \) in net transfers (i.e., transfers minus taxes) and sums to zero across all households. If total taxes equal total transfers (i.e. \( T=B \)) then the welfare impact arises solely from the redistribution of income between lower-income and higher-income groups. Henceforth, we therefore use the terms welfare impact and fiscal redistribution interchangeably.3

To illustrate, consider a uniform transfer program where each household receives the same transfer level financed by a proportional income tax on all households. In this case, (5) can be written as:

\[
dW = B \sum \beta^h (\theta^h - \phi^h) = B \left( \bar{\beta} - \tilde{\beta} \right)
\]  

where \( \bar{\beta} \) is the arithmetic average of welfare weights (since household shares in transfers will equal their share in the population) and \( \tilde{\beta} \) is the weighted average of welfare weights with household income shares as weights (since under proportional taxes household shares in taxes will equal their share in total income).

Equation (5) can also be rewritten to bring out the separate redistributive roles of taxes and transfers, as:

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3 When total taxes \( T \) differ from total transfers \( B \) (as is often the case in empirical studies of fiscal redistribution) then, for \( T=\alpha B \), \( \phi^h \) in (5) needs to be multiplied by \( \alpha \). Also, when taxes and transfers generate inefficient behavioral responses, so that “original” incomes are different than “market” incomes, this can be captured by an additional term capturing the ratio of market to original incomes.
\[ dW = B \sum_h \beta^h (\theta^h - \phi^h) = B \left( \sum_h \beta^h \theta^h - \sum_h \beta^h \phi^h \right) = B (\lambda^M - \lambda^T) \]  

where \( \lambda^M \) is the social value of a unit transfer (or transfer progressivity) and \( \lambda^T \) is the social cost associated with its financing (or tax progressivity), with the difference between the two giving the net social benefit from redistributive tax and transfer policies. The greater the share of transfers going to low-income groups the higher \( \lambda^M \), while the lower the share of taxes borne by low-income groups the lower \( \lambda^T \) (so tax progressivity increases as \( \lambda^T \) decreases). Trivially, if their respective shares in taxes and transfers are the same then \( \lambda^T \) and \( \lambda^B \) are equal (i.e., social benefit equals social cost) and the tax and transfer scheme has zero fiscal redistribution and zero social welfare impact. The ratio \( (\lambda^T/\lambda^M) \) can be interpreted as a cost-benefit ratio, or the percentage decrease in welfare due to the distribution of taxes used to finance redistributive transfers.

In inequality-based analyses of fiscal redistribution, it is common to allocate total fiscal redistribution between transfers and taxes, with both typically having positive shares since the share of lower-income groups in transfers (taxes) is greater (smaller) than their share in income. Within the welfare-based framework presented here, this can be interpreted as implicitly comparing the distribution of actual taxes and transfers to that for proportional taxes and transfers; the latter would not change inequality or welfare. Where the share of lower-income groups in actual transfers (taxes) is higher (lower) than their share under proportional transfers and taxes, both taxes and transfers would contribute to higher fiscal redistribution compared to the proportional alternatives.

To illustrate, consider the difference between actual fiscal redistribution \( (dW) \) and that achieved by a proportional tax and transfer program \( (d\bar{W} = 0) \). This can be written as (normalizing \( B=1 \)):

\[ dW - d\bar{W} = (\lambda^M - \bar{\beta}) + (\bar{\beta} - \lambda^T) \]  

The first component on the rhs is positive when the share of lower-income households in transfers is greater than their share in total income. The second component is positive when the share of lower-income households in taxes is lower than their share in total income.
Dividing each component by the sum of the two components gives the share of transfers and taxes in total fiscal redistribution, respectively.

**Social Welfare Weights**

The calculation of \( \lambda \) requires specifying social welfare weights. A very useful and common method for specifying these derives from Atkinson’s (1970) constant elasticity social welfare function with the (relative) welfare weight of household \( h \) calculated as:

\[
\beta^h = \left( \frac{y^k}{y^h} \right)^\epsilon
\]

where \( k \) is a reference income level (e.g., mean income) and \( \epsilon \) captures one’s “aversion to inequality” with this aversion increasing in \( \epsilon \).\(^4\) For example, a value of \( \epsilon=0 \) implies no aversion to inequality (i.e. a dollar is a dollar no matter to whom it accrues) so that all welfare weights take on the value unity. A value of \( \epsilon=1 \) implies that if household \( h \) has twice (half) the income of household \( k \) then its welfare weight is 0.5 (2.0) as opposed to unity for \( k \). A value of \( \epsilon=2 \) similarly implies a welfare weight of 0.25 (4.0) for \( h \).

For small transfers, the (marginal) social welfare weights can be calculated using market incomes and assumed constant with respect to the level of net transfers. For large transfers, however, these weights will be a decreasing function of transfers and an increasing function of taxes. Therefore, for progressive net transfers, the welfare impact based on constant welfare weights will overestimate the social welfare impact of fiscal redistribution. Therefore, the analysis presented below uses the average of the marginal social welfare weights with and without net transfers, which also allows us to normalize welfare weights at unity for a household with mean income which is important for making social welfare comparisons across countries or time.\(^5\)

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\(^4\) This approach is well established in the literature; for examples, see Atkinson and Stiglitz (1980), Newbery and Stern (1987), and Ahmad and Stern (1991).

\(^5\) More generally, social welfare weights can be derived from a broader set of social objectives. Within the narrower income perspective, these weights can be based on absolute rather than proportional differences in incomes, or some combination of both (Kolm, 1976; Atkinson and Brandolini, 2010; Urban, 2017). But these
Decomposing Fiscal Redistribution

To analyze the variation of fiscal redistribution across countries we can interpret the set of redistributive tax and transfers in a country as a tax-transfer (or net transfer) program. The total welfare impact of a tax-transfer program in country \( j \) \((dW_j)\) with budget \( B_j \) can then be written as:

\[
dW_j = \lambda_j \cdot B_j
\]  

(7)

This can be rewritten in percentage terms as:

\[
\frac{dW_j}{Y_j} = \lambda_j \cdot \frac{B_j}{Y_j} = \lambda_j \cdot \tau_j
\]  

(8)

where \( Y_j \) is total national income and \( \tau_j \) is the ratio of the transfer budget to total income.\(^6\)

The percentage increase in welfare due to the tax-transfer program in country \( j \) can then be compared to the increase for another country. These differences will reflect differences in fiscal effort \( (\tau) \) and differences in fiscal progressivity \( (\lambda) \). Differences in progressivity can be further decomposed into differences in targeting performance \( (\psi) \) and differences in targeting returns \( (\beta) \). Differences in targeting performance could also be broken down into the targeting performance of transfers \( (\theta) \) and taxes \( (\phi) \) and even further into their component parts.\(^7\)

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\(^6\) Dividing by initial income is strictly only equivalent to dividing by initial welfare for \( \epsilon=1 \) and when welfare weights are normalized to equal one for households with mean income.

\(^7\) Note that differences in fiscal redistribution, and in its underlying components, will reflect both differences in policies (e.g., benefit eligibility and generosity) as well as differences in the environment in which policies are implemented (e.g., demographic structure). Therefore, care needs to be taken when translating the results from such decomposition analysis into policy insights and prescriptions. Such issues can be further analyzed by, for example, more detailed analysis of different transfer components, such as child benefits, social pensions and unemployment benefits. Bargain and Callan (2010) show how inequality measures of fiscal redistribution can also be decomposed into different component parts: policy effects (capturing the combined effect of targeting performance and fiscal effort) and other factors (capturing the combined effects of targeting returns and demographics).
Note that it is possible that countries with the same fiscal policy design (i.e., exact same level and distribution of net taxes) can have very different levels of fiscal redistribution solely because of differing initial income distributions (and targeting returns).\textsuperscript{8} In such instances, a country with relatively high income inequality will have a relatively high level of fiscal redistribution because the social welfare return to targeting, captured in more unequally distributed social welfare weights, is higher. In other words, there is very little social benefit from redistributing income in countries where incomes (and welfare weights) vary little across households. When comparing the differing levels of fiscal redistribution across countries it is therefore useful to know how much of this reflects different fiscal policy design (i.e., levels and distribution of taxes and transfers, or how much countries do) and how much reflects different initial income distributions (or how much a country has to do). These decompositions are discussed further in Section III below.

**Fiscal Redistribution and Inequality**

The literature on fiscal redistribution has traditionally been anchored in the literature on income inequality. Typically, the Gini coefficient for income after taxes and transfers (i.e., disposable income) has been compared to that before taxes and transfers (i.e., market income) to determine the extent of fiscal redistribution. This latter approach can be motivated by the social welfare framework used above as follows (Deaton, 1997).

Let social welfare, \( W \), be described by a function of individual incomes \( y_i \) as:

\[
W = V(y_1, y_2, \ldots, y_N)
\]

where \( N \) is the number of individuals in the population, \( V(.) \) is Paretian so that it is increasing in individual incomes, and \( W \) satisfies the principle of transfers which requires that:

\[
\frac{dW}{dy_i} > \frac{dW}{dy_j} \quad \text{for } y_i < y_j
\]

\textsuperscript{8} For related discussions in the context of measures of tax progressivity, see Lambert and Pfahler (1992), Milanovic (1995) and Dardanoni and Lambert (2002).
with social welfare weights decreasing with individual incomes. To relate this social welfare
framework to the income inequality framework it is useful to choose a social welfare
function that has social welfare measures in the same units as individual welfare (i.e.,
income) so that a proportional change in incomes for everyone leads to an equal proportional
change in social welfare. This will be the case if \( V(.) \) is homogenous of degree one (or can be
thus transformed by a monotone increasing transformation). In such a case, social welfare
can be written as:

\[
W = \mu V \left( \frac{y_1}{\mu}, \frac{y_2}{\mu}, \ldots, \frac{y_N}{\mu} \right)
\]

where \( \mu \) is mean income in the population, and \( V(1,1,\ldots,1)=1 \) so that social welfare equals
mean income when income is distributed equally with everyone having mean income. Since,
by the principle of transfers, social welfare reaches a maximum equal to mean income, social
welfare will be less than mean income when the income distribution is unequally distributed.

The above welfare function can then be rewritten as:

\[
W = \mu (1 - I)
\]

where \((1-I)\) is a scalar version of \(V(.)\), and \(I\) represents a measure of income inequality
ranging from zero to unity (such as the Gini coefficient or Atkinson index). In this case, \(I\)
can be interpreted as the social welfare cost of inequality, i.e., the loss in social welfare due
to incomes being unequally distributed. Thus, any inequality index can be interpreted within
a social welfare framework and, if it satisfies the principle of transfers, will be consistent
with the welfare framework set out above.

\footnote{Note that, in the context of the iso-elastic social welfare function used by Atkinson (1970), this is equivalent to
setting social welfare equal to the level of income which if equally distributed will give the same level of social
welfare as the existing distribution of income, which he refers to as “equally distributed equivalent” (EDE)
income.}
III. FISCAL REDISTRIBUTION IN EU COUNTRIES

The analysis presented below to illustrate the extent and component parts of fiscal redistribution is based on databases available on the EUROMOD website. These databases provide information on direct taxes and transfers for 28 EU countries broken down by income deciles (see Appendix I for an example of the data available)—in-kind transfers (e.g., education) and consumption taxes are therefore not included. Together with data on average decile per capita incomes, this information is sufficient to calculate the extent of fiscal redistribution by country for each year available, i.e., from 2011 to 2016. It is also sufficient to decompose differences in fiscal redistribution across countries and time into differences in their various design components as described above.

Table 1 provides a description of the salient features of the EUROMOD tax and transfer data used for our analysis for the first (2011) and last (2016) years of available data. Benefits include social insurance (e.g., pensions) and social assistance cash transfers, while taxes include social contributions (or payroll taxes) and personal income taxes. The average ratios of benefits and taxes to income (B/Y and T/Y, respectively) vary substantially across countries, but are relatively constant over time. In 2016, for instance, at over 40 percent, Austria, Greece, Hungary and Luxembourg have the largest benefit ratios. At 25 percent or below, the lowest benefit ratios are in Malta, the Netherlands and the UK. The highest tax ratios, at over 40 percent, are in Denmark and Hungary, with the lowest at or below 20 percent in Bulgaria, Cyprus, Estonia, Spain and Malta. On average, tax ratios (0.31) are slightly below benefit ratios (0.33), but this relationship also varies substantially across countries.

The share of benefits (benefit share) and taxes (tax share) accruing to the bottom three income deciles, a good measure of how much benefits and taxes are targeted to the bottom of the income distribution (or targeting performance), also vary little across time but more so across countries. In 2016, at over 35 percent, the highest benefit shares were in Denmark, Ireland, the Netherlands and the UK. The lowest, at 20 percent or less, were in Greece, Italy, and Romania. The highest tax shares at above 10 percent were in Hungary, Poland, and

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10 These data can be accessed at: https://www.euromod.ac.uk/using-euromod/statistics.
Slovakia; the lowest at below 5 percent were in Belgium, Estonia, Ireland, Lithuania, Latvia and Portugal. On average, 27 percent of benefits accrue to the bottom three deciles, who pay only 7 percent of taxes.

Table 1. Description of EUROMOD Tax and Transfer Data, 2011 and 2016

<table>
<thead>
<tr>
<th>Country</th>
<th>Benefit Share (Bottom 30%)</th>
<th>Tax Share (Bottom 30%)</th>
<th>Average Market Beta</th>
<th>Benefit Share (Bottom 30%)</th>
<th>Tax Share (Bottom 30%)</th>
<th>Average Market Beta</th>
</tr>
</thead>
<tbody>
<tr>
<td>Austria (AT)</td>
<td>0.40</td>
<td>0.39</td>
<td>0.24</td>
<td>0.06</td>
<td>1.93</td>
<td>0.41</td>
</tr>
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<td>0.30</td>
<td>0.04</td>
<td>2.80</td>
<td>0.34</td>
</tr>
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<td>Bulgaria (BG)</td>
<td>0.31</td>
<td>0.20</td>
<td>0.26</td>
<td>0.07</td>
<td>2.25</td>
<td>0.27</td>
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<td>0.30</td>
<td>0.15</td>
<td>0.26</td>
<td>0.05</td>
<td>1.83</td>
<td>0.33</td>
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<td>0.31</td>
<td>0.08</td>
<td>1.75</td>
<td>0.31</td>
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<td>0.36</td>
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<td>2.18</td>
<td>0.34</td>
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<tr>
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<td>2.84</td>
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<td>0.21</td>
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<td>0.02</td>
<td>3.16</td>
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<td>0.23</td>
<td>0.08</td>
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<td>0.41</td>
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<td>0.31</td>
<td>0.22</td>
<td>0.05</td>
<td>2.43</td>
<td>0.24</td>
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<td>0.11</td>
<td>1.91</td>
<td>0.19</td>
</tr>
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<td>0.22</td>
<td>0.13</td>
<td>1.64</td>
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<td>0.21</td>
<td>0.05</td>
<td>1.94</td>
<td>0.39</td>
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<td>0.07</td>
<td>1.80</td>
<td>0.38</td>
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<td>Sweden (SE)</td>
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<td>0.31</td>
<td>0.10</td>
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<td>0.34</td>
</tr>
<tr>
<td>Slovenia (SI)</td>
<td>0.35</td>
<td>0.33</td>
<td>0.24</td>
<td>0.07</td>
<td>1.97</td>
<td>0.35</td>
</tr>
<tr>
<td>Slovakia (SK)</td>
<td>0.31</td>
<td>0.23</td>
<td>0.29</td>
<td>0.10</td>
<td>1.60</td>
<td>0.30</td>
</tr>
<tr>
<td>United Kingdom (UK)</td>
<td>0.24</td>
<td>0.28</td>
<td>0.37</td>
<td>0.06</td>
<td>2.55</td>
<td>0.23</td>
</tr>
</tbody>
</table>

Average 0.34 0.30 0.26 0.07 2.12 0.33 0.31 0.27 0.07 2.28

Note: See text for definition of column terms. Average market beta is the average of social welfare weights based on market income for ε=1. The country acronyms (in brackets) are used to identify countries in the figures below.

Source: Authors’ calculations based on EUROMOD data based on EUROMOD Version No. G4.0 (as updated on 01/02/2017. These data can be accessed at: https://www.euromod.ac.uk/using-euromod/statistics.

The arithmetic average of the social welfare weights across market income deciles (for ε=1, normalized at β=1 for mean income), provides a summary measure of the extent of market (or initial) income inequality in a country; the higher the average the lower the ratio of
incomes at the bottom of the distribution to those at the top.\textsuperscript{11} Again, while average income inequality changes little over time (increasing slightly), it varies substantially across countries. In 2016, the highest levels, at above 3.0, were in Denmark, Ireland, and Latvia, while the lowest at below 1.7 were in Cyprus, Hungary, Luxembourg, and Slovakia.

\textbf{Fiscal Redistribution, Progressivity and Effort}

Figure 1 shows the welfare impact of redistributive fiscal policy, i.e. the extent of fiscal redistribution, across countries.\textsuperscript{12} The results are based on an aversion to inequality of unity ($\varepsilon=1$) so that decile welfare weights equal the inverse of the ratio of each deciles’ per capita income to mean per capita income.\textsuperscript{13} Net transfers are based on the transfers and taxes in the EUROMOD data, but with taxes scaled (either upwards and downwards as necessary) to equal benefits (i.e., $T=B$) in each country. This ensures that the welfare impact arises solely from the redistribution of income from higher-income to lower-income groups (redistribution of the pie) rather than from changes in average income (the size of the pie). The extent of fiscal redistribution varies widely, being highest (above 35 percent) in Ireland, Denmark, Belgium, Estonia and Finland, and lowest (below 13 percent) in Greece, Hungary, Slovakia and Cyprus. Fiscal redistribution increases social welfare by over 22 percent in half of all countries.

Figure 2 presents the breakdown of fiscal redistribution across countries into fiscal effort and fiscal progressivity. On average, countries with higher effort have lower progressivity. For instance, while Greece, Italy, Hungary and Lithuania have relatively high fiscal effort this is offset by their relatively low progressivity, resulting in relatively low overall redistribution. On the other hand, while Ireland, Denmark and Estonia and Latvia have relatively low effort, this is offset by relatively high progressivity resulting in relatively high overall redistribution.

\textsuperscript{11} From (5)', the arithmetic average also represents the social welfare impact of a uniform transfer to all households. The correlation between the average social welfare weight ($\varepsilon=1$) and the Gini and Atkinson ($\varepsilon=1$) measures of inequality are very high, with correlation coefficients of 0.75 and 0.91, and rank correlation coefficients of 0.81 and 0.97, respectively.

\textsuperscript{12} For the most part, the paper focuses on decomposition of fiscal redistribution across countries since the extent of fiscal redistribution is relatively constant across time.

\textsuperscript{13} Chetty (2006) shows that a value of unity is consistent with empirical labor supply behavior and hence a reasonable benchmark.
It is notable that 6 of the top 8 fiscal redistributors have below median effort, and 6 of the bottom 8 distributors have above median effort. This points to the dominant role played by progressivity in explaining variations in fiscal redistribution across countries.

**Figure 1. Fiscal Redistribution in EU Countries, 2016**

![Fiscal Redistribution Chart](image)

Note: Estimates are based on an aversion to inequality parameter of $\varepsilon=1$

Source: Authors’ calculations based on EUROMOD data.

**Figure 2. Progressivity and Effort in EU Countries, 2016**

![Progressivity and Effort Chart](image)

Note: Estimates are based on an aversion to inequality parameter of $\varepsilon=1$. Broken vertical and horizontal lines are medians, while the dotted line is the linear regression line.

Source: Authors’ calculations based on EUROMOD data.
Decomposing Fiscal Redistribution

To decompose differences in fiscal redistribution into their component parts we use the decomposition technique developed in Shorrocks (2013), who provides a general framework for decomposing changes in indices into their component parts, with the sum across component contributions exactly equaling the total difference in the index. In the present context, let fiscal redistribution be written as a function of its various components: effort (B), targeting performance (ψ), and targeting returns (β):

\[ FR = f(B, \psi, \beta) \]

The objective is to decompose differences in redistribution into the amount due to differences in B, ψ, and β.

Let FR₀ be redistribution in country 0, and FR₁ be redistribution in country 1. Since redistribution is fully determined by B, ψ, and β, then the difference FR₁ – FR₀ can be exactly decomposed into the amount due to differences in B, ψ, and β. The approach is to first identify the marginal impact of each of the components when they are changed in sequence across all possible combinations of B, ψ, and β—in total there will be 3! (i.e., six) combinations for each component. The sum of all marginal contributions of each component separately can then be averaged to get the overall contribution of the component to the total difference in redistribution. The analysis below starts by looking at the contributions of B, ψ, and β to differences in redistribution across countries. It looks at differences due to differences in fiscal effort (B) and fiscal progressivity (λ). It also looks at the differences due to differences in fiscal policies (i.e., effort and targeting performance) and differences in targeting returns, where the latter reflects differences in the initial distribution of income that are in turn influenced by differences in other factors such as market structure, the distribution of skills (education), as well as by other non-fiscal policies (e.g., minimum wage policies). In addition, it analyzes the relative contributions of transfers and taxes to overall redistribution.

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14 Similarly, the decomposition can be applied to changes in fiscal distribution over time in a particular country, from period 0 to period 1.
Figure 3 decomposes the variation in fiscal redistribution into that due to effort, targeting performance, and targeting returns (the sum of the latter two components giving progressivity). For presentational purposes, we compare redistribution in each country to that in a reference country assumed to have the median values of each of the key parameters $B$, $\psi$, and $\beta$. On average, 26 percent of the differences across countries is explained by differences in effort and 74 percent by differences in progressivity (37 percent by targeting performance and 37 percent by targeting returns). The high progressivity in Denmark, Latvia and Lithuania is driven by relatively high targeting returns, i.e., their relatively high initial inequality. The low progressivity in Greece and Hungary is driven mainly by low targeting performance, i.e., lower shares of net benefits accruing to lower-income groups. Around two-thirds of the variation in redistribution across countries is explained by the amount countries spend on transfers and how net transfers are distributed across the income distribution (i.e. by fiscal policy or the fact that high redistributors “do more”); the remaining one-third due to differences in initial income inequality (i.e., high redistributors have “more to do”).

Note: Bars show the differences in fiscal redistribution (as presented in Figure 1) compared to a reference tax-transfer program with median fiscal effort, targeting returns and targeting performance. Source: Authors’ calculations based on EUROMOD data.

Fiscal progressivity is affected by both the progressivity of taxes (lower $\lambda^T$) and of transfers (higher $\lambda^M$). Fiscal redistribution requires that transfers are more progressive than taxes, i.e.,
the social cost of transfers needs to be less than the social benefit of transfers. Figure 4 shows the variation in tax and transfer progressivity across countries. While, on average, taxes reduce fiscal redistribution by around 56 percent (the ratio of the social cost of taxes, $\lambda^T$, to the social cost of transfers, $\lambda^M$), across countries there is very little systematic relationship between the two. In some countries, such as Ireland and Belgium, high transfer progressivity is reinforced by high tax progressivity. In others, such as Hungary and Poland, low transfer progressivity is reinforced by low tax progressivity. In the Denmark, Netherlands and Bulgaria, high transfer progressivity is offset by low tax progressivity, whereas in Portugal and Cyprus low transfer progressivity is offset by high tax progressivity.

![Figure 4. Tax and Transfers Progressivity in EU Countries, 2016](image)

Note: Tax progressivity ($\lambda^T$) is higher when lower-income groups pay a lower share of the total tax burden. Transfer progressivity ($\lambda^M$) is higher when lower-income groups receive a higher share of total transfers. Broken vertical and horizontal lines are medians, while the dotted line is the linear regression line. Source: Authors’ calculations based on EUROMOD data.

Figure 5 presents the decomposition of FR into the amount achieved through taxes and transfers based on (6)'$. On average, fiscal redistribution is 0.18, with one-quarter of this (i.e., 0.04) coming from taxes and the remaining three-quarters from transfers. The share of fiscal redistribution achieved through taxation is relatively high in Portugal, Italy, Lithuania

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$^{15}$ Note that for $\varepsilon=1$, in (6)' we get $\beta=1$. 

16
and Cyprus. In all but three countries (Denmark, Poland and Hungary), the fiscal redistribution of actual taxes exceeds that of proportional taxes.

**Figure 5. Contribution of Tax and Transfers To Fiscal Redistribution in EU Countries, 2016**

Note: The contribution of taxes and transfers to fiscal redistribution are calculated based on equation (6)¹. Broken horizontal lines are the averages for the sample countries. Source: Authors’ calculations based on EUROMOD data.

**IV. PATTERNS IN FISCAL REDISTRIBUTION**

In this section we use the above analysis to analyze two patterns of fiscal redistribution often discussed in the literature. The first refers to the relationship between progressivity (or targeting) and fiscal redistribution. The second refers to the relationship between market income inequality and the extent of fiscal redistribution. In both cases we will discuss the relationship with conditional and unconditional fiscal redistribution, where the latter abstracts from differences arising from differences in targeting returns (i.e., from differences in initial market income inequalities).¹⁶

¹⁶ The term conditional is thus used to designate that the associated measure of fiscal redistribution is dependent on the inequality of market income.
Conditional and Unconditional Fiscal Redistribution

The decomposition of a difference (or change) in fiscal redistribution into its various components allows us to distinguish between conditional and unconditional fiscal redistribution, where the former includes differences due to targeting returns (reflecting the initial inequality of income) and the latter abstracts from these differences and captures fiscal redistribution due to differences in fiscal policies (i.e., differences in targeting performance and fiscal effort). From our decomposition analysis, the difference in conditional fiscal redistribution between each pair of countries \((i \text{ and } j)\) can be written as the sum of the differences due to each component part:

\[
\Delta FR^c_{ij} = \Delta FR^\beta_{ij} + \Delta FR^\theta_{ij} + \Delta FR^B_{ij}
\]

Differences in unconditional fiscal redistribution can then be written as:

\[
\Delta FR^u_{ij} = \Delta FR^\theta_{ij} + \Delta FR^B_{ij}
\]

Analysis of the relationship between progressivity, inequality and fiscal redistribution can then be analyzed separately in terms of conditional and unconditional fiscal redistribution.

In the regression analysis below, when analyzing the relationship between unconditional fiscal redistribution, progressivity and inequality, we need to use a specific targeting performance index for each country to capture targeting performance. The results are based on a targeting index defined as the share of net transfers accruing to the bottom 30 percent of the population; which in the context of unconditional fiscal redistribution is also the appropriate measure of progressivity. This is equivalent to using social welfare weights that are unity for this target group, otherwise zero (Coady and Skoufias, 2004), which corresponds to our notion of unconditional fiscal redistribution since it is independent of the extent of initial inequality. This also requires us to replace our measure of fiscal
redistribution with one consistent with these welfare weights; based on (5) this becomes the share of total national income being transferred to the bottom 30 percent.\textsuperscript{17}

Figure 6 compares the measure of conditional fiscal redistribution (FR-C) presented above with a measure of unconditional fiscal redistribution (FR-U) based on the share of national income transferred to the bottom 30 percent of households. Countries are ordered on the x-axis according to the extent of FR-C as in Figure 1. The correlation coefficient between these measures, at 0.73, is high, as is the rank correlation coefficient at 0.77.\textsuperscript{18} However, there are still some sizeable re-rankings. For instance, reflecting their high initial inequality, Latvia and Lithuania move from near the top of the rankings under FR-C to near the bottom under FR-U. Therefore, their relatively high level of FR-C is due more to the fact that they have “more to do” than that they are “doing more”. Reflecting their low initial income inequality, Luxembourg, Austria, Cyprus, and the Czech Republic move from near the bottom under FR-C to near the top under FR-U. Therefore, their relatively low level of FR-C is due more to the fact that they have “less to do” than that they are “doing less”.

**Progressivity and Fiscal Redistribution**

It is often argued that countries that focus on designing taxes and transfers to have high progressivity end up having lower overall fiscal redistribution since narrow targeting of net transfers results in the loss of political and public support for fiscal redistribution (Korpi and Palme, 1998; Kenworthy, 2011; Marx and others, 2013).\textsuperscript{19} Within our framework, this requires that higher progressivity is more than offset by a decrease in fiscal effort.

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\textsuperscript{17} The focus on the bottom 30 percent for our regression analysis is of course arbitrary, and one can test sensitivity of results to say using 10 or 20 percent (see Appendix II). In contrast, the decomposition analysis does not require the specification of a single index since it uses the complete vector of net tax shares across income deciles (see Appendix III).

\textsuperscript{18} This correlation will decrease with lower values for aversion to inequality since FR-C will converge to zero for all countries (see Appendix II).

\textsuperscript{19} Korpi and Palme (1998) argued that “the more we target benefits at the poor, the less likely we are to reduce poverty and inequality”. In their analysis of a sample of EU countries, they “find that by providing high-income earners with earnings-related benefits, encompassing social insurance institutions can reduce inequality and poverty more efficiently than can flat-rate or targeted benefits” (p681, italics added). Glennerster (2014, p9) quotes Titmuss as saying that “separate discriminatory services for poor people have always tended to be poor
We evaluate this hypothesis by regressing fiscal redistribution on fiscal progressivity. Table 2 presents the relevant relationships for $\varepsilon=1$, log values for variables (to reduce the impact of outliers), and for both FR-C and FR-U. Appendix IV shows results for $\varepsilon=0.5$ and $\varepsilon=2$, and for levels. Focusing first on FR-C, on average greater progressivity is positively and significantly correlated with fiscal redistribution (column 1). The positive relationship holds across all years and in the pooled sample. It also holds in the pooled sample when we estimate the relationship with fixed effects to focus on the within-country relationship over time.\(^{20}\) When services”. Stigma attached to claiming means-tested benefits may also result in low-take up and thus lower redistributive impact than otherwise (Beveridge, 1942; Townsend, 1979). In a study of fiscal distribution over time in four EU countries (France, Italy, Sweden and UK), McKnight (2015) finds a negative relationship between the concentration of net transfers and fiscal redistribution within countries. Others have argued to the contrary (Goodin and LeGrand, 1987; Castles and Mitchell, 1992).

\(^{20}\) The results are consistent with those of Marx and others (2013, p2) who find that “the relationship between the extent of targeting and redistributive impact over a broad range of empirical specifications, country selections and data sources has in fact become a very weak one…. (T)argeting tends to be associated with higher levels of redistribution, especially when overall effort in terms of spending is high.” They also find that progressivity (targeting for them) is positively correlated with effort (generosity for them). Mantovani (2018) confirms these findings using an extended Kakwani index. Note that most of the quoted studies tend to focus only on the transfer side of fiscal policies, whereas the analysis in this paper focuses on fully tax-financed fiscal redistribution.
we regress progressivity on effort, consistent with Figure 2, we find a strong negative relationship, i.e., high progressivity is associated with low effort, but this relationship is not strong enough to result in a negative relationship between fiscal redistribution and progressivity.

**Table 2. Fiscal Redistribution (FR), Progressivity and Targeting**

<table>
<thead>
<tr>
<th>Year</th>
<th>FR &amp; Progressivity</th>
<th>Progressivity &amp; Effort</th>
<th>FR &amp; Progressivity</th>
<th>Progressivity &amp; Effort</th>
</tr>
</thead>
<tbody>
<tr>
<td>2016</td>
<td>0.724</td>
<td>-1.746</td>
<td>0.597</td>
<td>-1.591</td>
</tr>
<tr>
<td></td>
<td>(0.056)</td>
<td>(0.355)</td>
<td>(0.059)</td>
<td>(0.233)</td>
</tr>
<tr>
<td>2015</td>
<td>0.736</td>
<td>-1.827</td>
<td>0.648</td>
<td>-1.768</td>
</tr>
<tr>
<td></td>
<td>(0.054)</td>
<td>(0.371)</td>
<td>(0.054)</td>
<td>(0.27)</td>
</tr>
<tr>
<td>2014</td>
<td>0.730</td>
<td>-1.836</td>
<td>0.636</td>
<td>-1.759</td>
</tr>
<tr>
<td></td>
<td>(0.053)</td>
<td>(0.363)</td>
<td>(0.054)</td>
<td>(0.259)</td>
</tr>
<tr>
<td>2013</td>
<td>0.737</td>
<td>-1.849</td>
<td>0.667</td>
<td>-1.845</td>
</tr>
<tr>
<td></td>
<td>(0.053)</td>
<td>(0.373)</td>
<td>(0.052)</td>
<td>(0.286)</td>
</tr>
<tr>
<td>2012</td>
<td>0.746</td>
<td>-1.792</td>
<td>0.722</td>
<td>-1.933</td>
</tr>
<tr>
<td></td>
<td>(0.055)</td>
<td>(0.384)</td>
<td>(0.051)</td>
<td>(0.352)</td>
</tr>
<tr>
<td>2011</td>
<td>0.734</td>
<td>-1.627</td>
<td>0.710</td>
<td>-1.727</td>
</tr>
<tr>
<td></td>
<td>(0.06)</td>
<td>(0.365)</td>
<td>(0.057)</td>
<td>(0.338)</td>
</tr>
<tr>
<td>All</td>
<td>0.735</td>
<td>-1.788</td>
<td>0.668</td>
<td>-1.770</td>
</tr>
<tr>
<td></td>
<td>(0.022)</td>
<td>(0.146)</td>
<td>(0.022)</td>
<td>(0.115)</td>
</tr>
<tr>
<td>All (FE)</td>
<td>0.824</td>
<td>-1.920</td>
<td>0.887</td>
<td>-0.965</td>
</tr>
<tr>
<td></td>
<td>(0.021)</td>
<td>(0.228)</td>
<td>(0.027)</td>
<td>(0.234)</td>
</tr>
</tbody>
</table>

Coefficients in **bold (if significant at 1%)**, *bold italics (at 5%)* and *italics (at 10%)*. Standard errors in ()

Note: FR is fiscal redistribution; progressivity is fiscal progressivity; and effort if fiscal effort. All results are in logs and for inequality aversion parameter ε=1. Unconditional fiscal redistribution is measured by the share of national income transferred to the bottom 30 percent of households.

Source: Authors’ calculations based on EUROMOD data.

In principle, the positive relationship between fiscal redistribution and progressivity could reflect the role played by targeting returns, which we saw above explains on average over one-third of the variation in FR-C. For example, if fiscal effort is significantly negatively correlated with targeting performance, then the share of total income being transferred to lower income groups (and thus the poverty impact) could also decrease with better targeting performance. However, if targeting returns are high due to high inequality, then FR-C could in principle still actually increase. To abstract from the initial distribution of income, we do the above analysis for FR-U using the targeting index discussed above (i.e., the share of net transfers accruing to the bottom 30 percent of the population) in place of progressivity and
also the corresponding measure of fiscal redistribution (the share of total national income transferred to the bottom 30 percent). However, this does not overturn our findings based on FR-C (Table 2, final two columns). Targeting and redistribution are still significantly positively related, even though fiscal progressivity and fiscal effort are significantly negatively related. Therefore, from the perspective of fiscal redistribution, neither set of results (focusing on conditional or unconditional fiscal redistribution) supports the view that “programs for the poor are poor programs.”

**Inequality and Fiscal Redistribution**

Early studies of the pattern of fiscal redistribution across countries found that countries with higher market income inequality (or “greater need for redistribution”) surprisingly did less fiscal redistribution, the so-called “Robin Hood Paradox” (Lindert, 2004) or the “paradox of redistribution.”

However, more recent studies have found that countries with higher market income inequality on average do more fiscal redistribution (Padavano and others, 2016; Tanninen, Tuomala and Tuominen, 2018), often interpreted as higher inequality making it more likely that the median-voter will vote for more fiscal redistribution (Meltzer and Richard, 1981 and 1983).

Table 3 presents regression results that explore the relationship between FR-C and market income inequality as measured by the Gini coefficient. These confirm the recent findings that countries with high initial inequality on average do greater fiscal redistribution. This relationship holds for all years and in both levels and logs, and when all years are pooled. It also holds when we control for fixed effects in the pooled regression, indicating that the relationship also holds on average within countries over time. Fiscal redistribution therefore

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21 Note that this is not so surprising if one sees high market income inequality as a signal of lower aversion to income inequality, resulting in higher market income inequality and less fiscal redistribution.

results in a convergence of income inequality across countries and has also acted as a
constraint on inequality increases across time within countries.

Table 3. Fiscal Redistribution and Market Inequality

<table>
<thead>
<tr>
<th>Year</th>
<th>$\epsilon=0.5$</th>
<th>$\epsilon=1$</th>
<th>$\epsilon=2$</th>
<th>Unconditional $\epsilon=0.5$</th>
<th>Unconditional $\epsilon=1$</th>
<th>Unconditional $\epsilon=2$</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Levels</td>
<td>Levels</td>
<td>Levels</td>
<td>Logs</td>
<td>Logs</td>
<td>Logs</td>
</tr>
<tr>
<td>2016</td>
<td>0.577</td>
<td>1.996</td>
<td>21.00</td>
<td>0.152</td>
<td>2.491</td>
<td>3.306</td>
</tr>
<tr>
<td></td>
<td>(0.086)</td>
<td>(0.347)</td>
<td>(7.04)</td>
<td>(0.072)</td>
<td>(0.354)</td>
<td>(0.541)</td>
</tr>
<tr>
<td>2015</td>
<td>0.591</td>
<td>1.989</td>
<td>19.56</td>
<td>0.189</td>
<td>2.667</td>
<td>3.52</td>
</tr>
<tr>
<td></td>
<td>(0.085)</td>
<td>(0.326)</td>
<td>(6.16)</td>
<td>(0.075)</td>
<td>(0.394)</td>
<td>(0.578)</td>
</tr>
<tr>
<td>2014</td>
<td>0.578</td>
<td>1.854</td>
<td>15.51</td>
<td>0.184</td>
<td>2.636</td>
<td>3.383</td>
</tr>
<tr>
<td></td>
<td>(0.085)</td>
<td>(0.308)</td>
<td>(3.761)</td>
<td>(0.077)</td>
<td>(0.403)</td>
<td>(0.579)</td>
</tr>
<tr>
<td>2013</td>
<td>0.582</td>
<td>1.807</td>
<td>13.73</td>
<td>0.188</td>
<td>2.629</td>
<td>3.29</td>
</tr>
<tr>
<td></td>
<td>(0.092)</td>
<td>(0.324)</td>
<td>(3.25)</td>
<td>(0.081)</td>
<td>(0.437)</td>
<td>(0.617)</td>
</tr>
<tr>
<td>2012</td>
<td>0.603</td>
<td>1.836</td>
<td>13.51</td>
<td>0.200</td>
<td>2.643</td>
<td>3.237</td>
</tr>
<tr>
<td></td>
<td>(0.099)</td>
<td>(0.347)</td>
<td>(3.473)</td>
<td>(0.086)</td>
<td>(0.459)</td>
<td>(0.644)</td>
</tr>
<tr>
<td>2011</td>
<td>0.601</td>
<td>1.827</td>
<td>13.59</td>
<td>0.194</td>
<td>2.524</td>
<td>3.044</td>
</tr>
<tr>
<td></td>
<td>(0.101)</td>
<td>(0.36)</td>
<td>(3.666)</td>
<td>(0.091)</td>
<td>(0.449)</td>
<td>(0.626)</td>
</tr>
<tr>
<td>All</td>
<td>0.589</td>
<td>1.893</td>
<td>16.46</td>
<td>0.184</td>
<td>2.606</td>
<td>3.315</td>
</tr>
<tr>
<td></td>
<td>(0.036)</td>
<td>(0.133)</td>
<td>(1.946)</td>
<td>(0.032)</td>
<td>(0.165)</td>
<td>(0.237)</td>
</tr>
<tr>
<td>All (FE)</td>
<td>0.730</td>
<td>2.633</td>
<td>39.20</td>
<td>0.449</td>
<td>4.069</td>
<td>5.494</td>
</tr>
<tr>
<td></td>
<td>(0.039)</td>
<td>(0.202)</td>
<td>(8.124)</td>
<td>(0.041)</td>
<td>(0.204)</td>
<td>(0.274)</td>
</tr>
</tbody>
</table>

Coefficients in **bold (if significant at 1%), bold italics (at 5%) and italics (at 10%).** Standard errors in ()

Note: Market income inequality is measured using the Gini coefficient. The parameter $\epsilon$ captures aversion to inequality. Unconditional fiscal redistribution (FR-U, or targeting) is measured by the share of national income transferred to the bottom 30 percent of households.

Source: Authors’ calculations based on EUROMOD data.

As earlier, this positive relationship between initial market income inequality and the FR-C could be driven by the high return to targeting in high inequality countries. Therefore, it is possible that the relationship between FR-U and inequality is still negative, i.e. countries with high inequality transfer a smaller share of national income to lower income groups. However, the results in columns 4 and 8 suggest otherwise with FR-U being strongly positively related to market income inequality. This holds in both levels and logs, although in the log specification, while coefficients are always positive, their significance is much weaker for some years.\(^{23}\)

\(^{23}\) We also observe large variation in the magnitude and sign of the pairwise slope estimates across all years (see Appendix III) suggesting that the results may be sensitive to the sample of countries and years used, as well as the estimation methodology.
V. SUMMARY AND CONCLUDING REMARKS

This paper discusses the analysis of fiscal redistribution within the standard social welfare framework, which provides a transparent and practical approach to analyzing the determinants of fiscal redistribution across countries and time. Differences in fiscal redistribution are decomposed into differences in the magnitude of net transfers (fiscal effort) and differences in the progressivity of net transfers (fiscal progressivity). Fiscal progressivity is further decomposed into that due to differences in the distribution of net transfers across income groups (targeting performance) and differences in the social welfare returns to targeting due to different initial levels of income inequality (targeting returns). This allows differences in fiscal redistribution to be separated into that due to differences in fiscal policy (fiscal effort and targeting performance, or “how much countries do”) and that due to difference in initial inequality (targeting returns, or “how much they have to do”). It also provides a clear distinction between the concepts of progressivity and targeting and helps clarify the relationship between them.

Analysis of fiscal redistribution patterns for 28 EU countries from 2011 to 2016 finds that the extent of fiscal redistribution has remained very stable over time. However, there is significant variation across countries. On average, in 2016, differences in fiscal progressivity (i.e., targeting performance and targeting returns) explains three-quarters of the variation across countries, with differences in fiscal effort accounting for the remaining one-quarter. Differences in targeting returns accounts for around one-third of differences in fiscal redistribution.

These decompositions are used to analyze two patterns in fiscal redistribution discussed in the literature. The first relates to the notion that “programs for the poor are poor programs,” which argues that fiscal redistribution is negatively correlated with fiscal progressivity (or targeting). Our analysis finds to the contrary, i.e., fiscal redistribution is on average higher in countries with greater fiscal progressivity (or targeting). While fiscal effort is lower in countries with high fiscal progressivity, this negative relationship is not strong enough to lead to a negative relationship between fiscal redistribution and fiscal progressivity. And this result holds up when we analyze unconditional fiscal redistribution to abstract from the
impact of high initial income inequality. The second relates to the so-called Robin Hood Paradox of redistribution, which argues that countries with high market income inequality (and thus a greater “need” for redistribution) actually do less redistribution. Our results again suggest otherwise, with a very strong positive relationship between fiscal redistribution and initial inequality, and this still holds when we abstract from differences in initial income inequality (i.e., in targeting returns) across countries, although the positive relationship is statistically weaker in some years.

The social welfare framework presented in this paper can be usefully extended in various directions. First, it can be applied to a more detailed disaggregation of taxes (e.g., social security contributions and income taxes) and transfers (e.g., pensions, child benefits, and means-tested benefits). Second, the framework can be easily adapted to incorporate indirect taxes or even in-kind transfers. Finally, different social objectives, such as different measures of inequality based on absolute (not relative) differences in income or notions of social justice, can be incorporated through the appropriate specification of social welfare weights.
## Appendix I. EUROMOD: Ireland Distribution of Income, Taxes, and Transfers

<table>
<thead>
<tr>
<th>Decile Group</th>
<th>Disposable Income</th>
<th>Original Income</th>
<th>Means-Tested Benefits</th>
<th>Non-Means-Tested Benefits</th>
<th>Public Pensions</th>
<th>All Taxes</th>
<th>Social Insurance Contrib. (SICs) (%)</th>
<th>Simulated Benefits, of All Benefits (%)</th>
<th>Simulated Taxes, of All Taxes (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>1,099.8</td>
<td>255.6</td>
<td>657.8</td>
<td>236.2</td>
<td>44.4</td>
<td>64.1</td>
<td>30.2</td>
<td>92.2</td>
<td>100.0</td>
</tr>
<tr>
<td>2</td>
<td>1,586.3</td>
<td>354.9</td>
<td>951.8</td>
<td>265.1</td>
<td>84.5</td>
<td>58.1</td>
<td>12.0</td>
<td>92.5</td>
<td>100.0</td>
</tr>
<tr>
<td>3</td>
<td>1,930.4</td>
<td>689.5</td>
<td>922.9</td>
<td>275.1</td>
<td>155.9</td>
<td>70.7</td>
<td>42.4</td>
<td>90.4</td>
<td>100.0</td>
</tr>
<tr>
<td>4</td>
<td>2,289.1</td>
<td>1,268.5</td>
<td>706.5</td>
<td>355.1</td>
<td>177.7</td>
<td>136.5</td>
<td>82.2</td>
<td>87.6</td>
<td>100.0</td>
</tr>
<tr>
<td>5</td>
<td>2,738.9</td>
<td>2,014.4</td>
<td>413.0</td>
<td>341.7</td>
<td>360.0</td>
<td>253.1</td>
<td>137.1</td>
<td>88.3</td>
<td>100.0</td>
</tr>
<tr>
<td>6</td>
<td>3,208.0</td>
<td>2,960.4</td>
<td>173.5</td>
<td>376.7</td>
<td>356.5</td>
<td>462.8</td>
<td>196.2</td>
<td>89.7</td>
<td>100.0</td>
</tr>
<tr>
<td>7</td>
<td>3,697.3</td>
<td>3,708.7</td>
<td>112.1</td>
<td>428.4</td>
<td>376.0</td>
<td>667.9</td>
<td>260.0</td>
<td>89.1</td>
<td>100.0</td>
</tr>
<tr>
<td>8</td>
<td>4,125.0</td>
<td>4,652.5</td>
<td>64.3</td>
<td>333.2</td>
<td>405.0</td>
<td>998.4</td>
<td>331.7</td>
<td>91.5</td>
<td>100.0</td>
</tr>
<tr>
<td>9</td>
<td>5,076.7</td>
<td>6,445.4</td>
<td>22.3</td>
<td>348.5</td>
<td>268.3</td>
<td>1,525.7</td>
<td>482.1</td>
<td>90.5</td>
<td>100.0</td>
</tr>
<tr>
<td>10</td>
<td>6,993.0</td>
<td>10,726.6</td>
<td>14.7</td>
<td>243.1</td>
<td>148.0</td>
<td>3,345.3</td>
<td>794.0</td>
<td>88.1</td>
<td>100.0</td>
</tr>
<tr>
<td>All</td>
<td>3,264.8</td>
<td>3,304.1</td>
<td>409.1</td>
<td>318.1</td>
<td>233.7</td>
<td>763.4</td>
<td>236.8</td>
<td>90.1</td>
<td>100.0</td>
</tr>
<tr>
<td>Poor (3)</td>
<td>1,283.2</td>
<td>270.2</td>
<td>790.2</td>
<td>249.9</td>
<td>53.6</td>
<td>58.5</td>
<td>22.1</td>
<td>92.7</td>
<td>100.0</td>
</tr>
</tbody>
</table>

### Definitions

**Original income** = employment income + investment income + income of children under 16 + private pension + income from property + private transfers received + self-employment income + pension from other employment + pension from public sector

**Taxes (data)** = personal income tax + universal social charge + household charge - mortgage interest relief

**Employee PRSI** = superannuation + public sector pension related deduction

**Self-employed PRSI** = self-employed investment and rental income SIC

**Benefits** = maternity benefit + state pension (non-contributory) + one parent family payment + widows non-contributory pension + disability allowance + illness benefit + supplementary welfare allowance + family income supplement + jobseekers benefit + jobseekers allowance + injury benefit + child benefit + state pension (contributory) + state pension

**Benefits** = rent and mortgage supplements + fuel allowance + minor social assistance benefits + residual family allowances + grants/education (training) allowances + education grant (from FÁS) + household benefit package + non-Irish social

### Notes

1. The categories of income components chosen for these tables are simply for illustrative purposes. The categorisation of instruments is an area where EUROMOD offers a high degree of flexibility which is needed if results are to conform to different conventions and are to be used for a range of purposes. June 2011-2016 market exchange rates are used for non-euro countries.

2. Social insurance contributions refer here to the sum of employee and self-employed contributions and all benefits also include public pensions.

3. Poor: households at risk of being in poverty, i.e., with equivalised disposable income below 60% of the median.

### Source

EUROMOD data available at: [https://www.euromod.ac.uk/using-euromod/statistics](https://www.euromod.ac.uk/using-euromod/statistics)
Appendix II. Comparisons Among Alternative Measures of Fiscal Redistribution

This appendix compares the estimates of fiscal redistribution presented in the main paper to alternative measures. These alternatives include: (i) alternative degrees of aversion to inequality, and (ii) alternative inequality-based measures.

Aversion to Inequality

The fiscal redistribution estimates presented in the paper are based on an aversion to inequality of $\varepsilon=1$. Appendix Figure 1 compares these to alternative levels of aversion to inequality for $\varepsilon=0.5$ (low) and $\varepsilon=1.5$ (high). As expected, estimates of fiscal redistribution increase with the level of aversion to inequality since the social returns to redistribution also increase. However, the correlation between the different measures is very high with a correlation coefficient of 0.97 (0.99) between $\varepsilon=0.5$ ($\varepsilon=1.5$) and $\varepsilon=1.0$, and respective high rank correlation coefficients both at 0.96.

Appendix Figure 1. Fiscal Redistribution for Alternative Levels of Aversion to Inequality ($\varepsilon$)

Note: Countries are ordered from left to right by extent of fiscal redistribution as in Figure 1. Source: Authors’ calculations based on EUROMOD data.

Inequality-based Measures

Appendix Figure 2 compares the fiscal redistribution estimates presented in the paper for $\varepsilon=1$ (FR-C) to more traditional estimates based on changes in the Gini coefficient and on the
Atkinson inequality index (also for \( \varepsilon = 1 \)). As expected, the estimates of fiscal redistribution based on the Atkinson index correlates very closely with the estimates in the paper with a correlation coefficient of 0.99 and a rank correlation coefficient of 0.77. In the case of the Gini coefficient, the correlation is also high with a correlation coefficient of 0.99 and a rank correlation coefficient of 0.81. The variation across countries is similar for FR-C and the Atkinson index, with a ratio of top to bottom countries of over 4. This compares to the much lower variation for the Gini, with a ratio below 2.5.

However, there is a systematic difference between the estimates with the Gini exhibiting a lower level of fiscal redistribution for countries that have high FR-C a higher level of redistribution for countries with low FR-C. The rankings of some countries based on the Gini are often quite different from the social welfare-based measures. For instance, under the Gini, Ukraine moves up to second, and Portugal, Czech Republic and Spain move from the middle to top of the rankings. Bulgaria moves from an upper-middle ranking near to the bottom rankings, while the Netherlands moves from the lower-middle to the bottom.

**Appendix Figure 2. Comparisons with Inequality-Based Measures**

Note: Countries are ordered from left to right by extend of Fiscal redistribution as in Figure 1. Source: Authors’ calculations based on EUROMOD data.
Appendix III. Pairwise Regression Analysis

We can also analyze the relationships between market income inequality and conditional and unconditional fiscal redistribution (FR-C and FR-U, respectively) based on pairwise country comparisons of these variables. From our decomposition analysis, the difference in FR-C between each pair of countries \((i\) and \(j\)) can be written as the sum of the difference due to each component part:

\[
\Delta FR_{ij} = \Delta FR_{ij}^\beta + \Delta FR_{ij}^\theta + \Delta FR_{ij}^B
\]

For each pair of countries, we also know their market income inequalities \((I)\) and so can calculate \(\Delta I\). Therefore, we can calculate \(\Delta FR/\Delta I\) for the overall difference in FR and separately for each of the component parts or alternative combinations, with the sum of the component relationships equaling the overall relationship.\(^ {24}\) This in turn allows us to break out the relationship between overall fiscal redistribution and market income inequality into that due separately to differences in fiscal policy (i.e., \(\theta\) and \(B\)) and to targeting returns (\(\beta\)) capturing differences in market income inequality.

Appendix Figure 3 presents information on the distribution of the pairwise relationships between income inequality and fiscal redistribution, and the latter’s component parts for the pooled country-year sample over 2011 to 2016. The large variation in magnitudes and signs of the different pairwise coefficients suggests that the observed relationship between conditional and unconditional fiscal redistribution and market income inequality may be sensitive to the sample of countries or years under investigation, and also the estimator used (Appendix Table 1).

\(^{24}\) The median of these relationships across all pairwise country comparisons provides an alternative non-parametric estimate to the OLS estimate discussed in the paper. This technique is often referred to as the Theil-Sen estimator (Dietz, 1989). Since it is insensitive to outliers, this estimator can be significantly more accurate than non-robust simple linear regression for skewed and heteroskedastic data. It is an unbiased estimator of the true slope in simple linear regression. The least-squares estimator is a weighted average of pairwise slopes, with the squared differences in the independent x-variable used as weights.
Appendix Table 1. Relationship Between Inequality and Fiscal Redistribution

<table>
<thead>
<tr>
<th></th>
<th>FR_C</th>
<th>Effort</th>
<th>Performance</th>
<th>Returns</th>
<th>FR_U</th>
</tr>
</thead>
<tbody>
<tr>
<td>Mean</td>
<td>1.028</td>
<td>-0.581</td>
<td>1.166</td>
<td>0.442</td>
<td>0.586</td>
</tr>
<tr>
<td>Weighted Mean</td>
<td>0.322</td>
<td>0.14</td>
<td>-0.006</td>
<td>0.188</td>
<td>0.133</td>
</tr>
</tbody>
</table>

Note: Coefficients show average relationship between column variables and inequality based on pairwise comparisons across countries. Columns are conditional and unconditional fiscal redistribution (FR-C and FR-U), fiscal effort, and targeting performance and returns. Weights are based on the squared difference in income inequality across countries. Income inequality is measured by the Gini coefficient.
Source: Authors’ calculations based on EUROMOD data.

Appendix Figure 2. Relationship Between Inequality and Fiscal Redistribution

Note: The figure shows the distribution of the relationship between inequality and fiscal redistribution, and the latter’s component parts, based on country pairwise regressions.
Source: Authors’ calculations based on EUROMOD data.
## Appendix IV. Fiscal Redistribution, Progressivity, Targeting and Fiscal Effort

### Redistribution & Progressivity

<table>
<thead>
<tr>
<th>Year</th>
<th>$\varepsilon=0.5$</th>
<th>$\varepsilon=1$</th>
<th>$\varepsilon=2$</th>
<th>Unconditional</th>
<th>$\varepsilon=0.5$</th>
<th>$\varepsilon=1$</th>
<th>$\varepsilon=2$</th>
<th>Unconditional</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Levels</td>
<td>Levels</td>
<td>Levels</td>
<td>Logs</td>
<td>Levels</td>
<td>Levels</td>
<td>Logs</td>
<td>Levels</td>
</tr>
<tr>
<td>2016</td>
<td>0.204 (0.021)</td>
<td>0.237 (0.018)</td>
<td>0.285 (0.008)</td>
<td>0.178 (0.023)</td>
<td>0.625 (0.068)</td>
<td>0.724 (0.056)</td>
<td>0.871 (0.036)</td>
<td>0.597 (0.059)</td>
</tr>
<tr>
<td>2015</td>
<td>0.211 (0.021)</td>
<td>0.242 (0.018)</td>
<td>0.288 (0.008)</td>
<td>0.192 (0.023)</td>
<td>0.646 (0.065)</td>
<td>0.736 (0.054)</td>
<td>0.871 (0.035)</td>
<td>0.648 (0.054)</td>
</tr>
<tr>
<td>2014</td>
<td>0.215 (0.022)</td>
<td>0.244 (0.019)</td>
<td>0.287 (0.011)</td>
<td>0.197 (0.023)</td>
<td>0.646 (0.063)</td>
<td>0.736 (0.053)</td>
<td>0.862 (0.036)</td>
<td>0.636 (0.054)</td>
</tr>
<tr>
<td>2013</td>
<td>0.223 (0.022)</td>
<td>0.257 (0.019)</td>
<td>0.294 (0.013)</td>
<td>0.203 (0.022)</td>
<td>0.665 (0.062)</td>
<td>0.737 (0.053)</td>
<td>0.862 (0.036)</td>
<td>0.667 (0.052)</td>
</tr>
<tr>
<td>2012</td>
<td>0.235 (0.023)</td>
<td>0.262 (0.02)</td>
<td>0.305 (0.013)</td>
<td>0.216 (0.023)</td>
<td>0.673 (0.064)</td>
<td>0.746 (0.055)</td>
<td>0.867 (0.037)</td>
<td>0.722 (0.051)</td>
</tr>
<tr>
<td>2011</td>
<td>0.237 (0.023)</td>
<td>0.257 (0.02)</td>
<td>0.301 (0.013)</td>
<td>0.213 (0.023)</td>
<td>0.659 (0.064)</td>
<td>0.734 (0.06)</td>
<td>0.867 (0.041)</td>
<td>0.711 (0.057)</td>
</tr>
<tr>
<td>All</td>
<td>0.219 (0.009)</td>
<td>0.247 (0.007)</td>
<td>0.289 (0.004)</td>
<td>0.200 (0.02)</td>
<td>0.652 (0.026)</td>
<td>0.735 (0.022)</td>
<td>0.866 (0.014)</td>
<td>0.668 (0.022)</td>
</tr>
<tr>
<td>All (FE)</td>
<td>0.210 (0.013)</td>
<td>0.237 (0.008)</td>
<td>0.288 (0.002)</td>
<td>0.281 (0.016)</td>
<td>0.770 (0.027)</td>
<td>0.824 (0.021)</td>
<td>0.921 (0.011)</td>
<td>0.887 (0.027)</td>
</tr>
</tbody>
</table>

### Progressivity & Effort

<table>
<thead>
<tr>
<th>Year</th>
<th>$\varepsilon=0.5$</th>
<th>$\varepsilon=1$</th>
<th>$\varepsilon=2$</th>
<th>Unconditional</th>
<th>$\varepsilon=0.5$</th>
<th>$\varepsilon=1$</th>
<th>$\varepsilon=2$</th>
<th>Unconditional</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Levels</td>
<td>Levels</td>
<td>Levels</td>
<td>Logs</td>
<td>Levels</td>
<td>Levels</td>
<td>Logs</td>
<td>Levels</td>
</tr>
<tr>
<td>2016</td>
<td>-1.412 (0.261)</td>
<td>-4.357 (0.946)</td>
<td>-36.27 (16.056)</td>
<td>-0.956 (0.125)</td>
<td>-1.442 (0.261)</td>
<td>-1.746 (0.355)</td>
<td>-2.561 (0.714)</td>
<td>-1.591 (0.233)</td>
</tr>
<tr>
<td>2015</td>
<td>-1.347 (0.248)</td>
<td>-4.046 (0.871)</td>
<td>-31.03 (13.661)</td>
<td>-0.947 (0.123)</td>
<td>-1.516 (0.27)</td>
<td>-1.827 (0.371)</td>
<td>-2.673 (0.723)</td>
<td>-1.768 (0.27)</td>
</tr>
<tr>
<td>2014</td>
<td>-1.298 (0.236)</td>
<td>-3.750 (0.784)</td>
<td>-24.27 (8.504)</td>
<td>-0.922 (0.124)</td>
<td>-1.548 (0.276)</td>
<td>-1.836 (0.363)</td>
<td>-2.606 (0.682)</td>
<td>-1.759 (0.259)</td>
</tr>
<tr>
<td>2013</td>
<td>-1.290 (0.244)</td>
<td>-3.655 (0.789)</td>
<td>-21.26 (7.228)</td>
<td>-0.956 (0.131)</td>
<td>-1.569 (0.28)</td>
<td>-1.849 (0.373)</td>
<td>-2.591 (0.681)</td>
<td>-1.845 (0.286)</td>
</tr>
<tr>
<td>2012</td>
<td>-1.227 (0.256)</td>
<td>-3.445 (0.821)</td>
<td>-19.28 (7.427)</td>
<td>-0.943 (0.136)</td>
<td>-1.520 (0.384)</td>
<td>-1.792 (0.384)</td>
<td>-2.507 (0.695)</td>
<td>-1.933 (0.352)</td>
</tr>
<tr>
<td>2011</td>
<td>-1.186 (0.26)</td>
<td>-3.369 (0.834)</td>
<td>-19.91 (7.583)</td>
<td>-0.901 (0.147)</td>
<td>-1.391 (0.287)</td>
<td>-1.627 (0.365)</td>
<td>-2.241 (0.651)</td>
<td>-1.727 (0.338)</td>
</tr>
<tr>
<td>All</td>
<td>-1.298 (0.099)</td>
<td>-3.793 (4.292)</td>
<td>-25.80 (4.927)</td>
<td>-0.938 (0.052)</td>
<td>-1.503 (0.111)</td>
<td>-1.788 (0.146)</td>
<td>-2.549 (0.275)</td>
<td>-1.77 (0.115)</td>
</tr>
<tr>
<td>All (FE)</td>
<td>-1.165 (0.119)</td>
<td>-4.059 (5.39)</td>
<td>-37.46 (16.176)</td>
<td>-0.451 (0.081)</td>
<td>-1.461 (0.174)</td>
<td>-1.92 (0.228)</td>
<td>-3.301 (0.47)</td>
<td>-0.965 (0.234)</td>
</tr>
</tbody>
</table>

Coefficients in **bold** if significant at 1%, **bold italics** at 5% and *italics* at 10%. Standard errors in ()..

Note: The parameter $\varepsilon$ captures aversion to inequality. Unconditional fiscal redistribution (or targeting) is measured by the share of national income transferred to the bottom 30 percent of households.

Source: Authors’ calculations based on EUROMOD data.
REFERENCES


